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*Introduction to
Bayesian Methods for
QTL Analysis - 7*

Software for QTL analysis

- Input into BDA
 - Mapmaker
- Libraries to assist specialist programming
 - Mcmc toolpack: R add-on
- QTL programming within general Bayesian software
 - WinBUGS: qtl modelling within Bayesian MCMC software
- QTL modules within general stats software
 - Bmapqtl, bim: R add-ons
- Specialist programs (public and private)
 - qvalue
 - R, C, Fortran, Matlab etc code for papers and problems

Mapmaker

- One example of multitude of QTL software packages
- Whitehead Institute public domain software
- Focus: genetic linkage maps
- Analysis is based on log likelihood. (No Bayes?)
- Multiple testing overcome by setting ‘strict’ LOD score and then relaxing this to assess impact.
- ‘Ripple’ algorithm swaps neighbours to avoid ‘stickiness’

QTL Cartographer

Wang S., C. J. Basten, and Z. -B. Zeng (2001-2003)

Windows QTL Cartographer 2.0. Department of Statistics,
North Carolina State University, Raleigh, NC.

(<http://statgen.ncsu.edu/qtlcart/WQTLCart.htm>)

- WinQtlCart : mapping quantitative trait loci (QTL) in cross populations from inbred lines. The software is based on QTL Cartographer with interface designed and developed under Microsoft Visual C++ 6.0 environment.
- The current implemented statistical methods include one marker analysis, interval mapping, composite interval mapping, multiple interval mapping and multiple trait analysis.
- Menus include File, Edit, View, Data, Tools, Help
- Does Bayesian interval mapping

MCMCpack

R package that contains functions for posterior simulation for a number of statistical models. All simulation is done in compiled C++. All models return coda mcmc objects that can then be summarized using coda functions or the coda menu interface. The package also contains some useful utility functions, including some additional PDFs and pseudo-random number generators for statistical distributions.

MCMCpack

- Currently MCMCpack allows the user to simulate from the posterior density of the following models: linear regression (with Gaussian errors), a general linear panel model, Wakefield's ecological inference model, Quinn's dynamic ecological inference model, Wakefield's hierarchical ecological inference model, a probit model, a logistic regression model, a one-dimensional item response theory model, a K-dimensional item response theory model, a Normal theory factor analysis model, an ordinal item response theory model, a Poisson regression, and an ordered probit model.
- The package also contains densities and random number generators for commonly used distributions that are not part of the standard **R** distribution, some additional functions that are useful for manipulating mcmc objects, and some data visualization tools for ecological inference.

Some functions in MCMCpack

MCMCfactanal	Markov chain Monte Carlo for Normal Theory Factor Analysis Model
MCMClogit	Markov chain Monte Carlo for Logistic Regression
MCMCoprobit	Markov chain Monte Carlo for Ordered Probit Regression
MCMCordfactanal	Markov chain Monte Carlo for Ordinal Data Factor Analysis Model
MCMCpoisson	Markov chain Monte Carlo for Poisson Regression
MCMCprobit	Markov chain Monte Carlo for Probit Regression
MCMCregress	Markov chain Monte Carlo for Gaussian Linear Regression
ddirichlet	Evaluate Density of Dirichlet Distribution
dinvgamma	Evaluate the Density of the Inverse Gamma Distribution
diwish	Evaluate the Density of the Inverse Wishart Distribution
dnoncenhypergeom	Evaluate Density of Noncentral Hypergeometric Distribution
dwish	Evaluate the Density of the Wishart Distribution
rdirichlet	Generate Random Draws from the Dirichlet Distribution
rinvgamma	Generate Random Draw from Inverse Gamma Distribution
riwish	Generate Random Draw from Inverse Wishart Distribution
rnoncenhypergeom	Generate Random Draw from Noncentral Hypergeometric Distribution
rwish	Generate Random Draw from Wishart Distribution

Analysis in WinBUGS

<http://www.maths.bris.ac.uk/~masas/work/qlt.htm>

- • one-qlt.bug - this code searches for one QTL on a single chromosome, under two restrictions. 1) there are markers exactly at both ends of the linkage group, and 2) the markers are **equally** spaced.
- • n-qlt.bug - this code **potentially** searches for n QTL's on a single chromosome. there are no restrictions on inter-marker distances, but there must still be a marker at each end of the chromosome. This has been tested for 1 and 2 QTL's, and became very slow when finding 2. Also the amount of computation required in the CODA analysis stage was immense.

<http://www.maths.bris.ac.uk/~masas/work/qlt.htm>

Data

- data1.dat - has the following characteristics :
Data set for 200 markers with 1 QTL, with additive effect
a=3.000000, dominance effect dom=0.000000, mean mu=10.000000
and variance=1.000000
M1 - (0.20) - M2 - (0.20) - M3 - (0.05) - M4 - (0.15) - M5 - (0.20) - M6
where the qtl is marker 4
true QTL indicators are : (0=QQ, 1=qQ or Qq, 2=qq)
1 0 1 2 2 1 0 1 2 2 0 0 2 2 0 2 2 0 1 0
0 1 2 1 1 2 2 1 1 2 0 0 1 1 0 1 1 2 1 0
2 1 0 1 0 1 1 2 0 1 1 1 0 1 2 1 1 1 1 1
2 1 2 0 0 0 1 0 1 0 0 0 1 0 1 1 1 2 1 1
0 0 0 2 2 1 0 2 2 1 1 2 0 1 1 1 2 2 0 1
2 1 0 2 1 1 0 2 1 0 0 1 2 2 2 0 2 0 1 1
1 0 0 1 2 1 2 2 0 0 2 1 2 2 2 2 1 0 0 0
1 1 2 2 2 0 2 1 2 0 1 1 1 1 1 1 0 1 2 1
1 1 1 1 2 1 1 2 2 2 0 2 0 1 1 1 0 1 2 0
0 1 1 2 1 2 1 0 2 1 1 0 0 1 2 1 1 0 0 1
seed generator is 891962883

model OneQtl;

const

N=200, # number of progeny

L=5, # number of markers

d=0.2; # distance in cMorgans between markers

var

m[N,5], # marker data

y[N], # phenotype data

q[N], # individuals qtl genotype -> 0=QQ, 1=Qq or qQ, 2=qq

beta[3], # specific mean for each individual genotype

tau, # 1/sigmasq

u[L-1], # prior qtl interval probs

mu, # overall mean level

a, # additive effect

d, # dominance effect

sigmasq, # overall trait variance

table[9,3], # table of genotype probs given flanking markers

r0, # \

r1, # |-> used to simplify table calculations

r2, # /

index[N], # pointer to the correct recombination probs

lambda, # interval containing qtl

lambda2, # lambda+1

r[L-1], # recombination probs (per interval)

theta; # qtl recombination fraction

```

data in "data1.dat";
{
mu ~ dnorm(0, 0.0000001);
a ~ dnorm(0, 0.0000001);
d ~ dnorm(0, 0.0000001);
beta[1] <- mu + a;
beta[2] <- mu + d;
beta[3] <- mu - a;
lambda ~ dcat(u[]);
lambda2 <- lambda+1;
theta ~ dunif(0, 0.5*(1-log(-2*d)));
r0 <- r[lambda];
r1 <- theta;
r2 <- (r[lambda]-theta)/(1-2*theta);

table[1,1] <- (1-r1)*(1-r1)*(1-r2)*(1-r2)/((1-r0)*(1-r0));
table[1,2] <- 2*r1*(1-r1)*r2*(1-r2)/((1-r0)*(1-r0));
table[1,3] <- r1*r1*r2*r2/((1-r0)*(1-r0));
table[2,1] <- (1-r1)*(1-r1)*r2*(1-r2)/(r0*(1-r0));
table[2,2] <- r1*(1-r1)*(r2*r2+(1-r2)*(1-r2))/(r0*(1-r0));
table[2,3] <- r1*r1*r2*(1-r2)/(r0*(1-r0));
table[3,1] <- (1-r1)*(1-r1)*r2*r2/(r0*r0);
table[3,2] <- 2*r1*(1-r1)*r2*(1-r2)/(r0*r0);
table[3,3] <- r1*r1*(1-r2)*(1-r2)/(r0*r0);

```

etc

```

table[9,3] <- (1-r1)*(1-r1)*(1-r2)*(1-r2)/((1-r0)*(1-r0));
tau ~ dexp(10);
sigmasq <- 1/tau;
for (i in 1:N) {
  index[i] <- 3*m[i,lambda] + m[i,lambda2]+1;
  q[i] ~ dcat(table[index[i], ]); y[i] ~ dnorm(beta[q[i]], tau); } }

```

data.inits

```
list(lambda=c(1,7), a=c(1,1), d=c(1,1))
```

data1.dat

```

list(
  m=structure(
    .Data=c(1,1,1,1,1,1,0,0,1,1,0,0,1,1,2,2,2,2,2,2,0,0,0,2,1,1,1,1,0,0,
1,0,0,0,0,2,1,1,1,1,0,0,2,2,1,1,2,2,1,0,0,0,0,1,2,0,1,0,0,0,
0,2,2,1,1,1,2,2,0,1,1,0,0,0,0,1,1,2,2,1,1,2,2,2,2,1,1,0,0,0,
1,1,1,0,0,0,0,0,1,1,1,1,0,1,1,2,2,1,1,2,2,2,2,2,2,0,1,1,2,2,

```

etc

```
0,0,0,0,0,0,0,1,1,2,2,2,2,2,1,0,1,1,2,1,2,2,1,1,1,0,0,0,0,0,  
0,0,0,0,1,0,1,1,2,1), .Dim=c(200,5)),
```

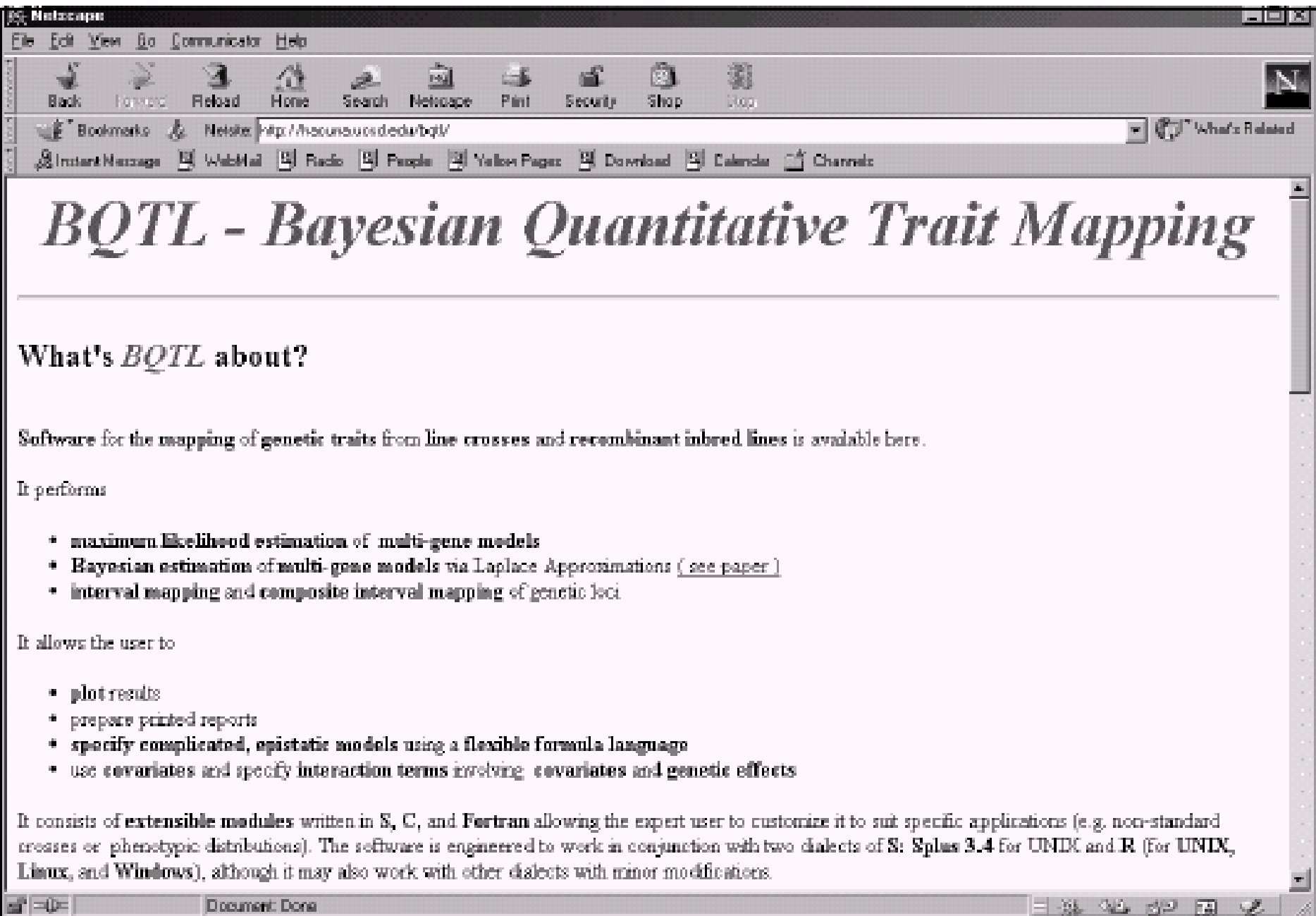
```
y=c( 9.070279,12.729174, 9.453709, 6.488317, 7.856653,  
8.505410,10.603332,  
10.655591, 6.668347, 6.773763,12.859454,14.280485, 7.944763,  
6.637695,
```

etc

```
r=c(0.16484, 0.16484, 0.16484, 0.16484),
```

```
u=c(0.25, 0.25, 0.25, 0.25)
```

```
)
```



<http://hacuna.ucsd.edu/bqtl>

Main objects and functions

- The ‘**analysis.object**’ bundles most of the needed data and ‘meta-data’
- **bqt1()** – maximum likelihood/posterior estimation
- **linear.bayes()** – fast MCMC sampling via approximate posterior
- **loglik()**

Some bqtl functions

Bayesian QTL mapping toolkit

bqtl	Bayesian QTL Model Fitting
lapadj	Approximate marginal posterior for chosen model
linear.bayes	Bayesian QTL mapping via Linearized Likelihood (simulated datasets, marker data, phenotype data)
loglik	Extract loglikelihood, log posterior, or posterior from fitted models
make.analysis.obj	Set up data for QTL mapping
make.location.prior	Provide a default prior
make.regressor.matrix	Create regressors using expected marker values
plot.analysis.object	plots by chromosome location
predict.bqtl	fitted values from QTL models
summary.adj	Summarize Laplace approximations
summary.swap	Summarize Gibbs samples for a k-gene model
swap	MCMC sampling of multigene models
swapbc1	Sample BC1 or Recombinant Inbred loci via approximate posterior.
swapf2	Sample F2 loci via approximate posterior
twoh	One and Two Gene Models Using Linearized Posterior

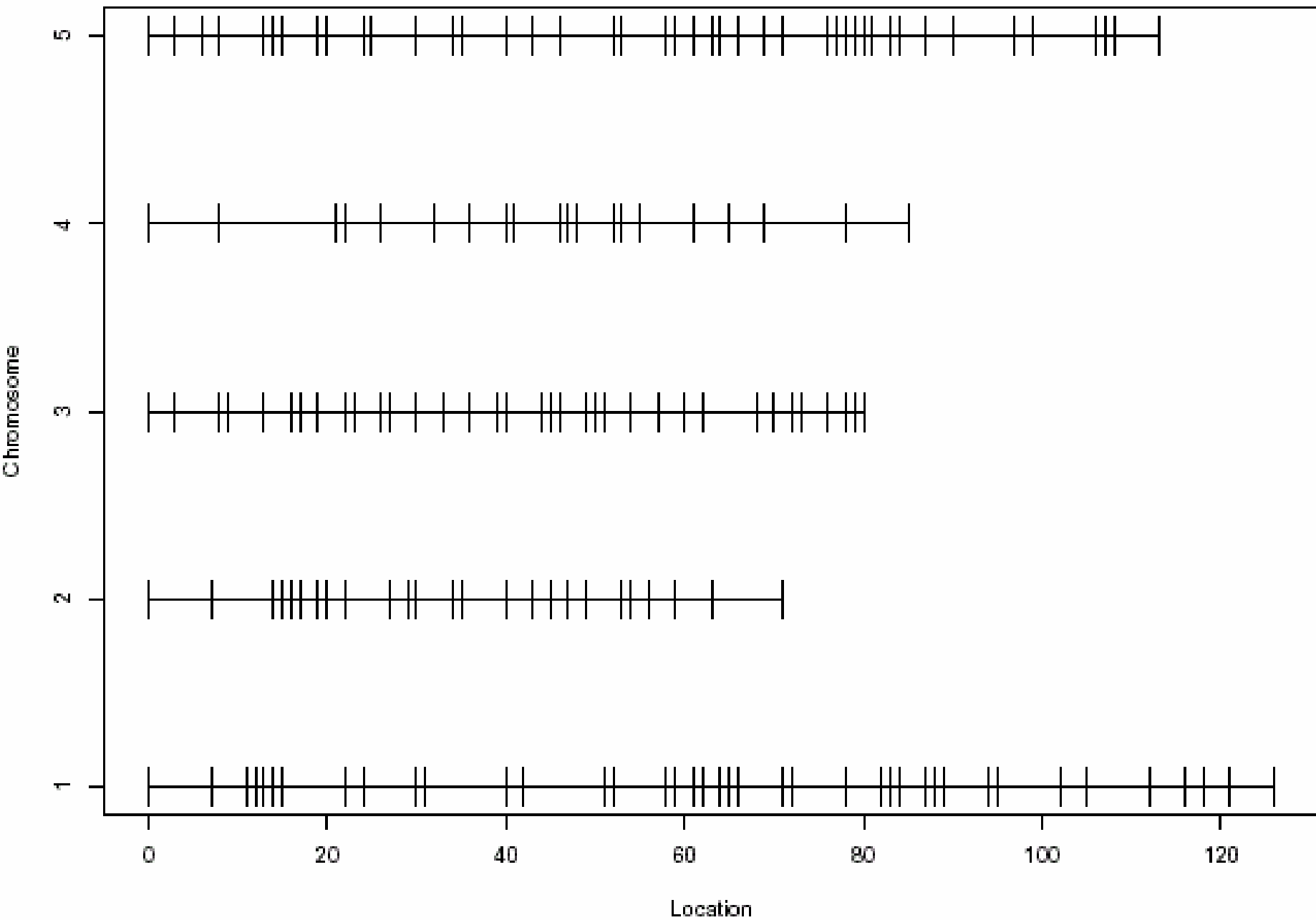
Example bqtl program

R : Copyright 2001, The R Development Core Team Version 1.2.2 (2001-02-26)

```
> postscript()
> source("demo.R",echo=TRUE)
> library(bqtl)
> cvl.map <- make.map.frame(read.table("../plant/cvl-data/cvl.map", header =TRUE))
> plot(cvl.map)
> cvl.markers <- read.csv("../plant/cvl-data/cvl.markers")
> cvl.codes<-apply(cvl.markers,2,function(x) ifelse(x=="AA",1,ifelse(x=="aa",2, 3)))
> image(1:161, 1:163, cvl.codes, xlab = "RIL", ylab = "marker")
> abline(v = seq(1.5, by = 1, length = 160))
> abline(h = 0.5 + which(cvl.map$pos.type == "right"))
➤ increasing.cM <- function(x, extra = 1) {add.to.x <- cumsum(extra +
  c(0, x$cM)[which(x$pos.type == "left")]) add.to.x[x$chr.num] + x .... [TRUNCATED]
> x.cM <- increasing.cM(cvl.map)
> x.cM <- c(x.cM, x.cM[163] + 1)
> image(1:161, x.cM, cvl.codes, xlab = "RIL", ylab = "cM")
> abline(v = seq(1.5, by = 1, length = 160))
> abline(h = x.cM[which(cvl.map$pos.type == "right")][1:4] + 1])
➤ pheno.dat <- read.csv("../plant/cvl-data/pheno.dat")
```

plot(cv1.map)

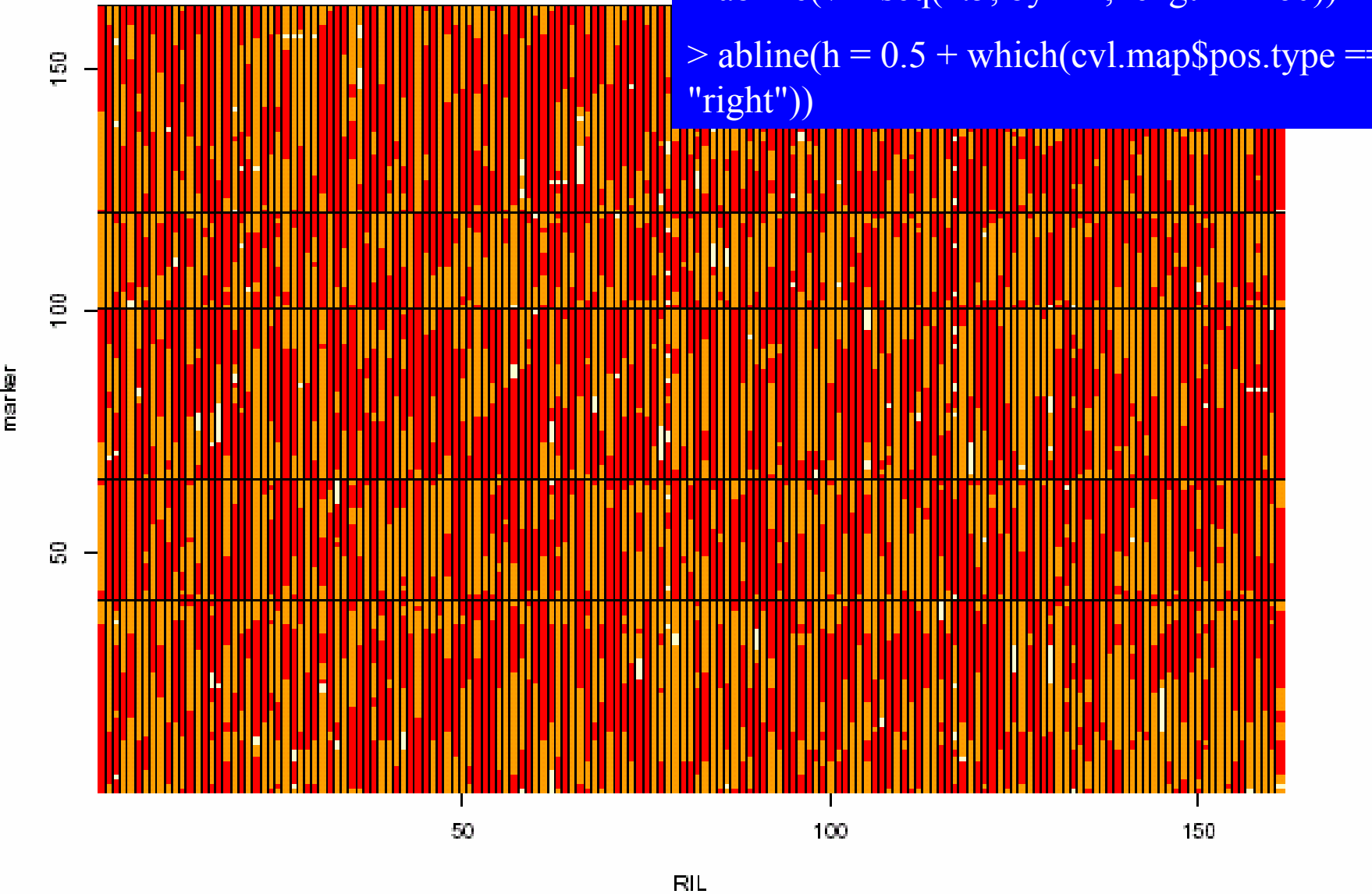
cv1.map



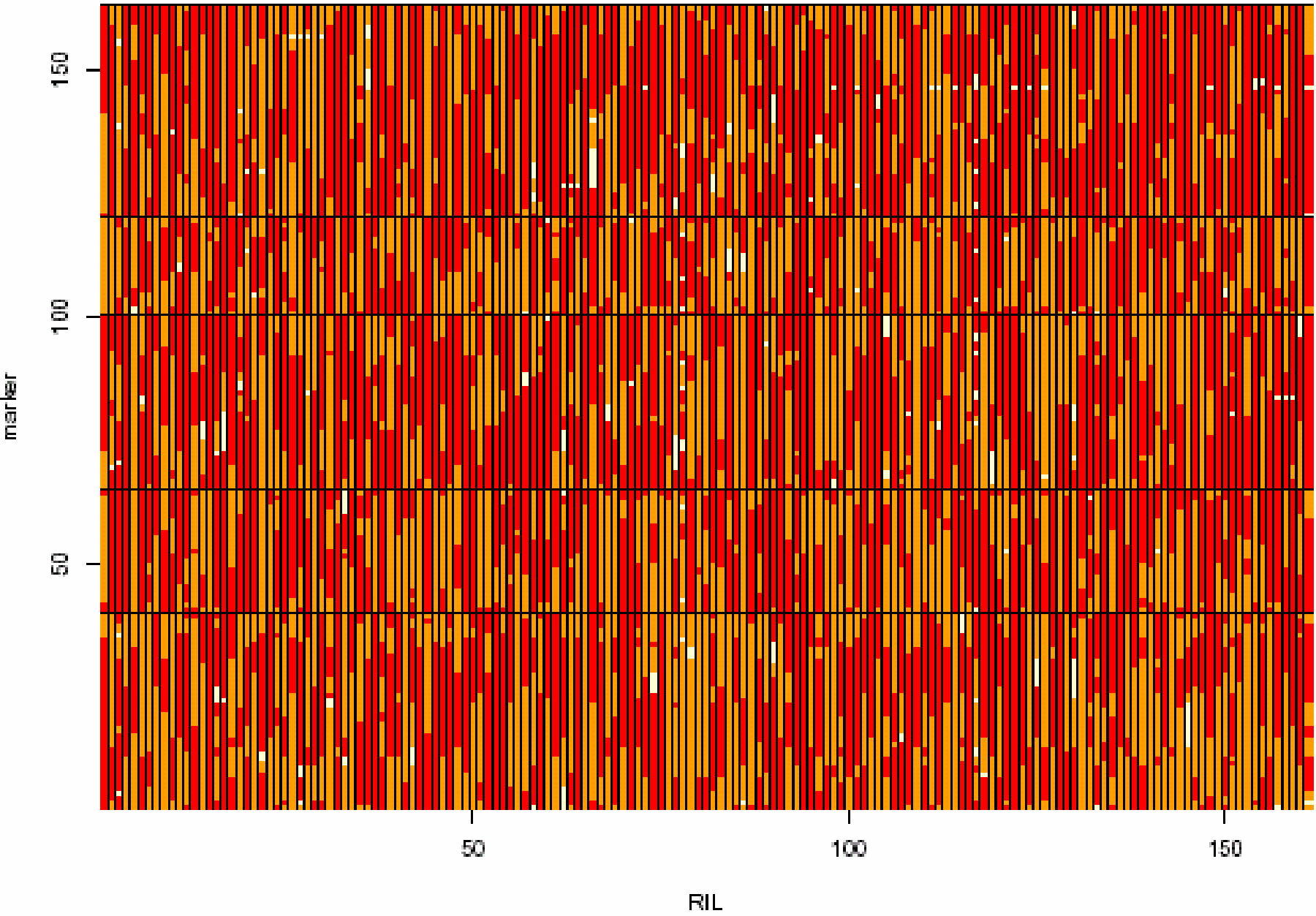
```
image(1:161, 1:163, cvl.codes, xlab = "RIL",  
      ylab = "marker")
```

```
> abline(v = seq(1.5, by = 1, length = 160))
```

```
> abline(h = 0.5 + which(cvl.map$pos.type ==  
"right"))
```



Increased cM



Example (cont)

```
> summary(pheno.dat)
```

```
      blue      brz      dark      farred
```

```
Min. : 3.49  Min. : 4.800  Min. :10.38  Min. :2.700
```

```
1st Qu.: 5.66  1st Qu.: 6.370  1st Qu.:14.52  1st Qu.:4.370
```

```
Median : 6.46  Median : 7.520  Median :15.73  Median :4.870
```

```
Mean   : 6.66  Mean   : 7.662  Mean   :15.68  Mean   :4.975
```

```
3rd Qu.: 7.58  3rd Qu.: 8.820  3rd Qu.:17.01  3rd Qu.:5.430
```

```
Max.   :10.27  Max.   :12.640  Max.   :20.29  Max.   :7.760
```

```
      ga      red      white      germ
```

```
Min. : 4.510  Min. : 5.150  Min. :3.370  good  :148
```

```
1st Qu.: 6.730  1st Qu.: 7.590  1st Qu.:4.870  not.good: 13
```

```
Median : 7.700  Median : 8.750  Median :5.650
```

```
Mean   : 7.882  Mean   : 8.886  Mean   :5.783
```

```
3rd Qu.: 8.860  3rd Qu.:10.100  3rd Qu.:6.650
```

```
Max.   :12.200  Max.   :14.080  Max.   :8.510
```

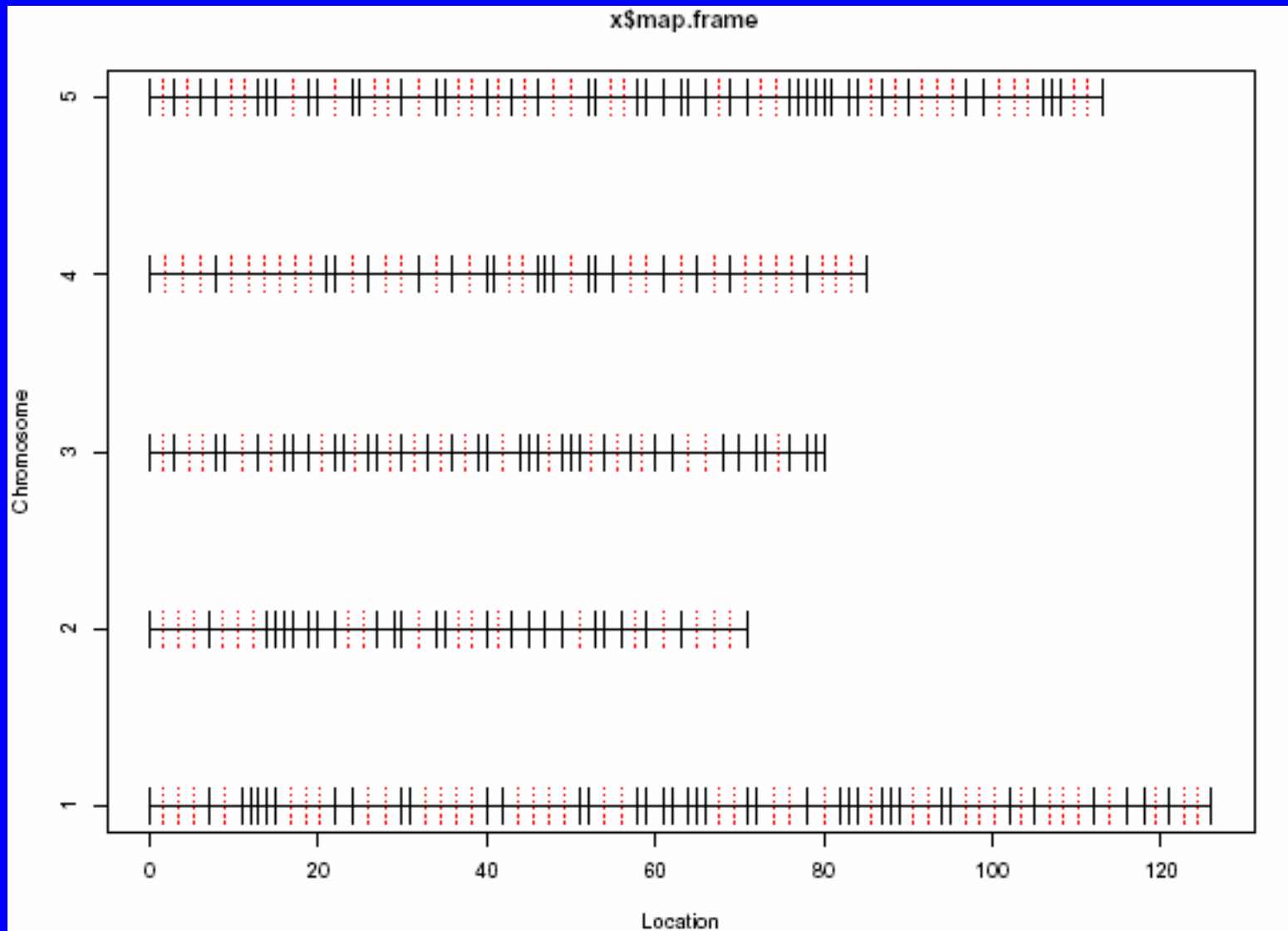
```
> pairs(pheno.dat)
```

```
> round(cor(data.matrix(pheno.dat)), 2)
```

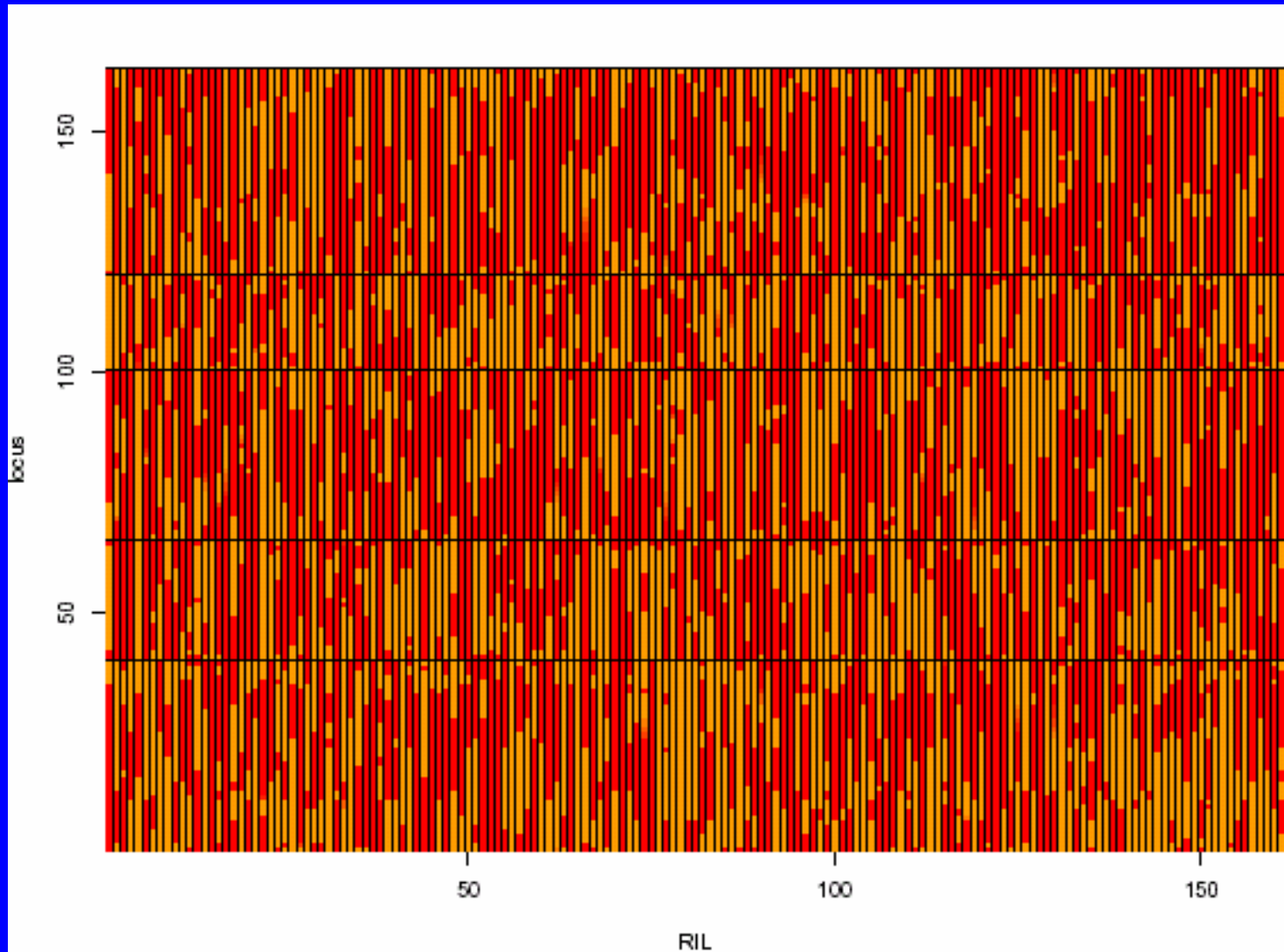
	blue	brz	dark	farred	ga	red	white	germ
blue	1.00	0.64	0.68	0.73	0.76	0.70	0.74	-0.28
brz	0.64	1.00	0.62	0.72	0.58	0.60	0.49	-0.17
dark	0.68	0.62	1.00	0.61	0.62	0.51	0.56	-0.17
farred	0.73	0.72	0.61	1.00	0.54	0.70	0.49	-0.25
ga	0.76	0.58	0.62	0.54	1.00	0.76	0.89	-0.17
red	0.70	0.60	0.51	0.70	0.76	1.00	0.73	-0.19
white	0.74	0.49	0.56	0.49	0.89	0.73	1.00	-0.18
germ	-0.28	-0.17	-0.17	-0.25	-0.17	-0.19	-0.18	1.00


```
> cvl.ana <- make.analysis.obj(pheno.dat, make.map.frame(cvl.map,  
  reso = 2), cvl.markers, method = "RI.self")
```

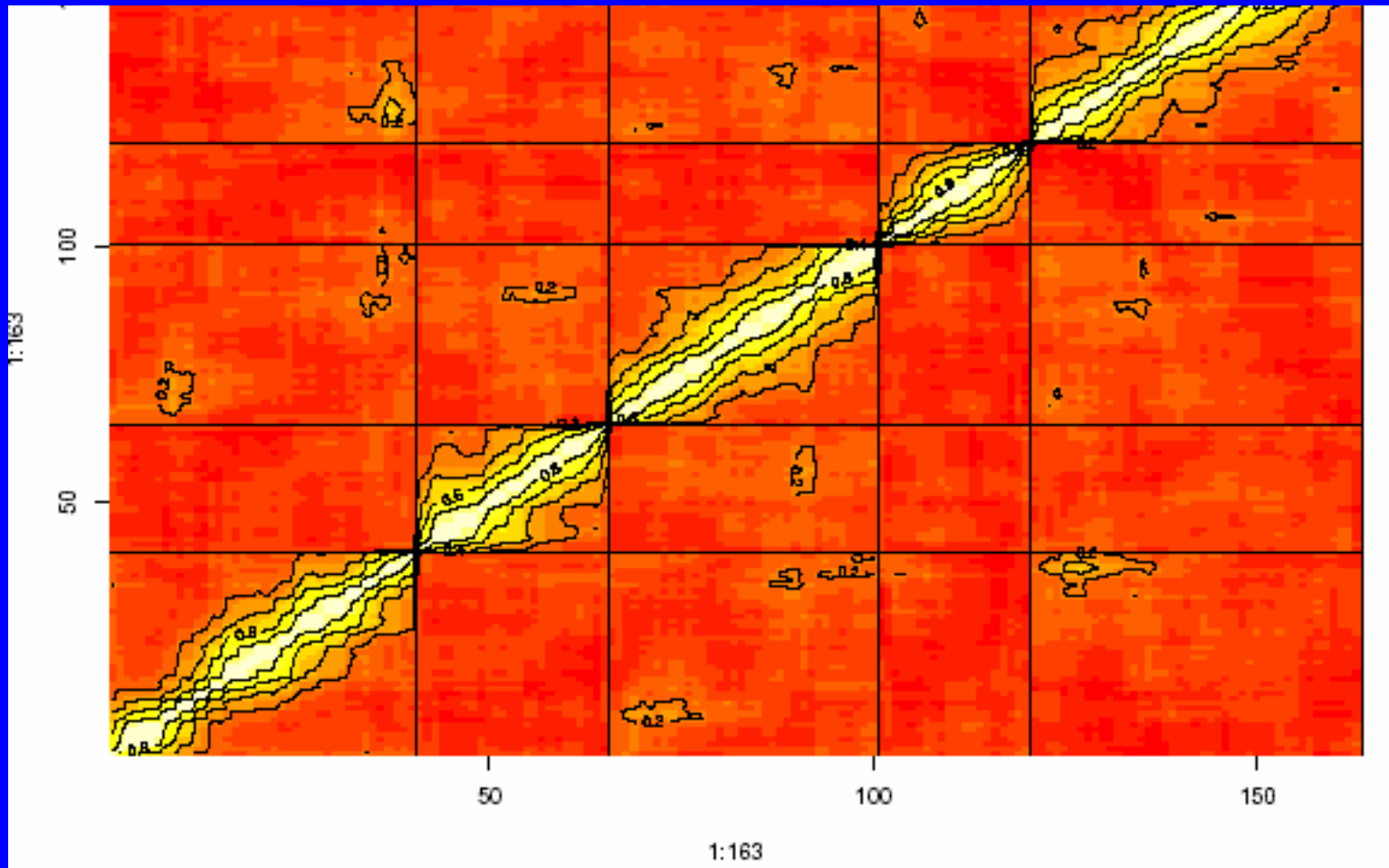
```
> plot(cvl.ana)
```




```
> image(1:161, 1:163, cvl.ana$state.matrix[, cvl.ana$map.frame$sis.marker,  
      2], xlab = "RIL", ylab = "locus", zlim = c(0, 2))  
> abline(v = seq(1.5, by = 1, length = 160))  
> abline(h = 0.5 + which(cvl.map$pos.type == "right"))
```



```
> image(1:163, 1:163, cor(cvl.ana$state.matrix[, cvl.ana$map.frame$sis.marker, 2]))  
> contour(1:163, 1:163, cor(cvl.ana$state.matrix[, cvl.ana$map.frame$sis.marker, 2]),  
levels = c(0.2, 0.4, 0.6, 0.8), add = T)  
> abline(v = 0.5 + which(cvl.map$pos.type == "right"))  
> abline(h = 0.5 + which(cvl.map$pos.type == "right"))
```



```
> fit.null <- bqml(white ~ 1, cvl.ana)
```

```
> summary(fit.null)
```

\$coefficients

Intercept

5.782733

\$loglik

[1] -256.0794

\$std.res

[1] 1.187223

\$N

NULL

```
> fit.PVV4 <- bqml(white ~ PVV4, cvl.ana)
```

```
> summary(fit.PVV4)
```

```
$coefficients
```

```
Intercept    PVV4
```

```
5.7503866 0.4044548
```

```
$loglik
```

```
[1] -246.3247
```

```
$std.res
```

```
[1] 1.116674
```

```
$N
```

```
    N N.omit N.used
```

```
161   0  161
```

```
> scan.1 <- bqtl(white ~ locus(all), cvl.ana)
```

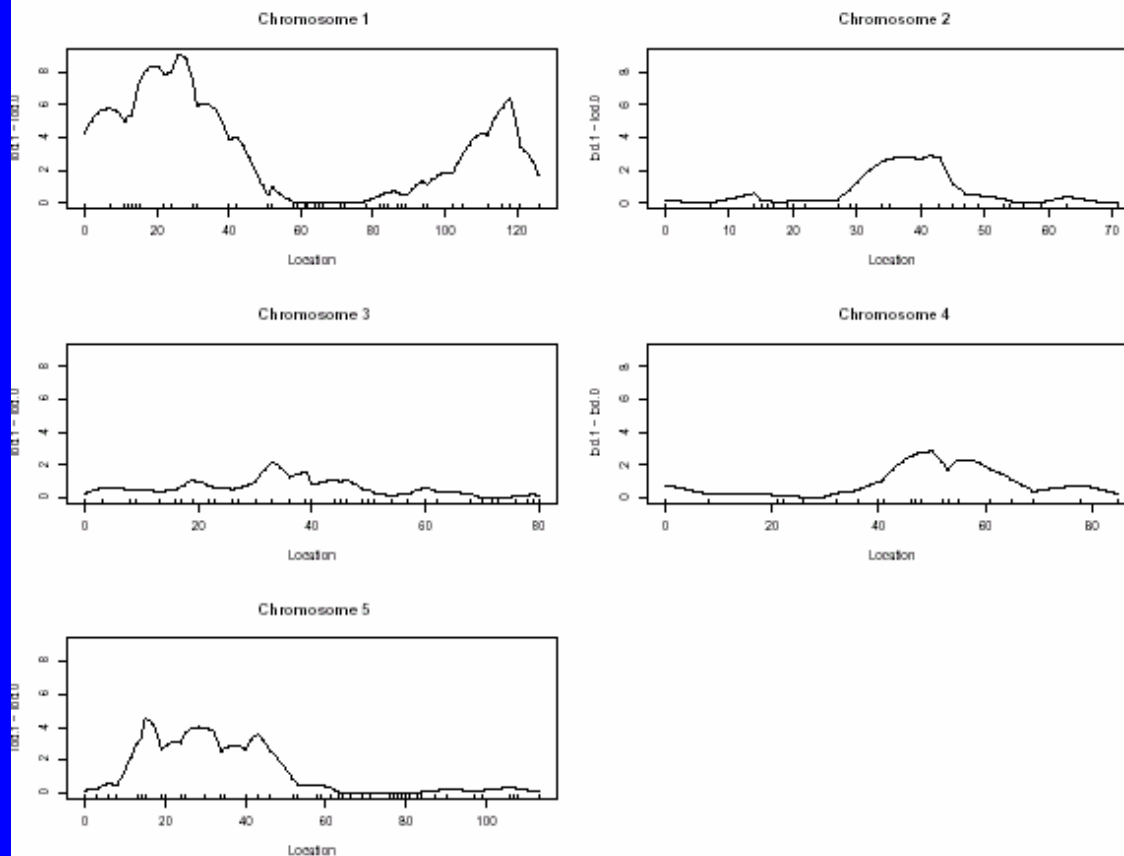
```
> lod.ratio <- log10(exp(1))
```

```
> lod.0 <- loglik(fit.null) * lod.ratio
```

```
> lod.1 <- loglik(scan.1) * lod.ratio
```

```
> par(mfrow = c(3, 2))
```

```
> plot(cvl.ana, lod.1 - lod.0)
```

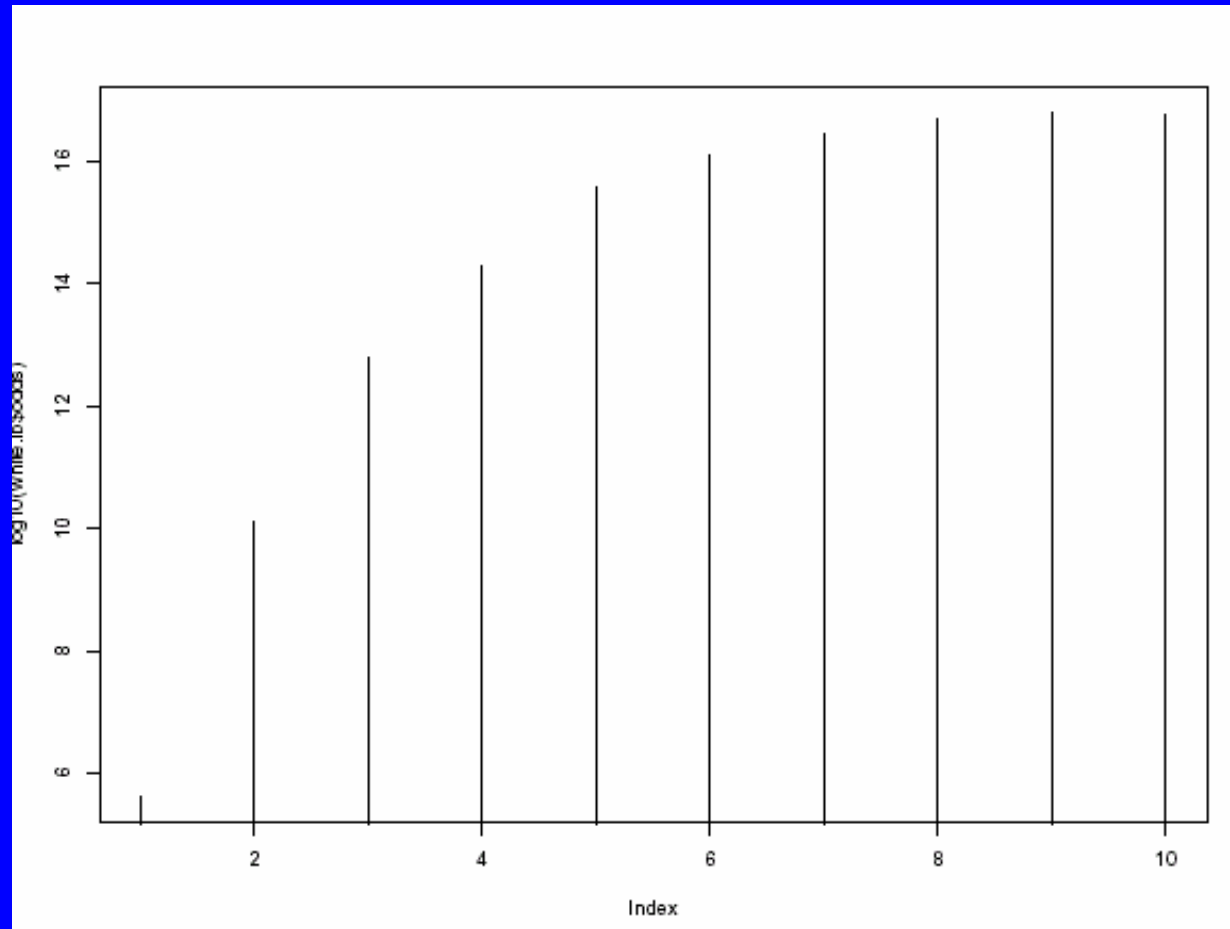


```
> white.perm <- sample(1:161)
> perm.1 <- bqtl(white[white.perm] ~ locus(all), cvl.ana)
> scan.2 <- bqtl(white ~ locus(chromo = 1, cM = c(0, 30)) + locus(chromo = 1, cM = c(100,
150)), cvl.ana)
> scan.2.lod <- loglik(scan.2) * lod.ratio
> index.2 <- map.loc(scan.2)

> vec.2 <- unlist(index.2)
> ind.1 <- as.numeric(vec.2[names(vec.2) == "cM1"])
> ind.2 <- as.numeric(vec.2[names(vec.2) == "cM2"])
> image(unique(ind.1), unique(ind.2), matrix(scan.2.lod,
nr = length(unique(ind.1))), xlab = "cM", ylab = "cM")
```

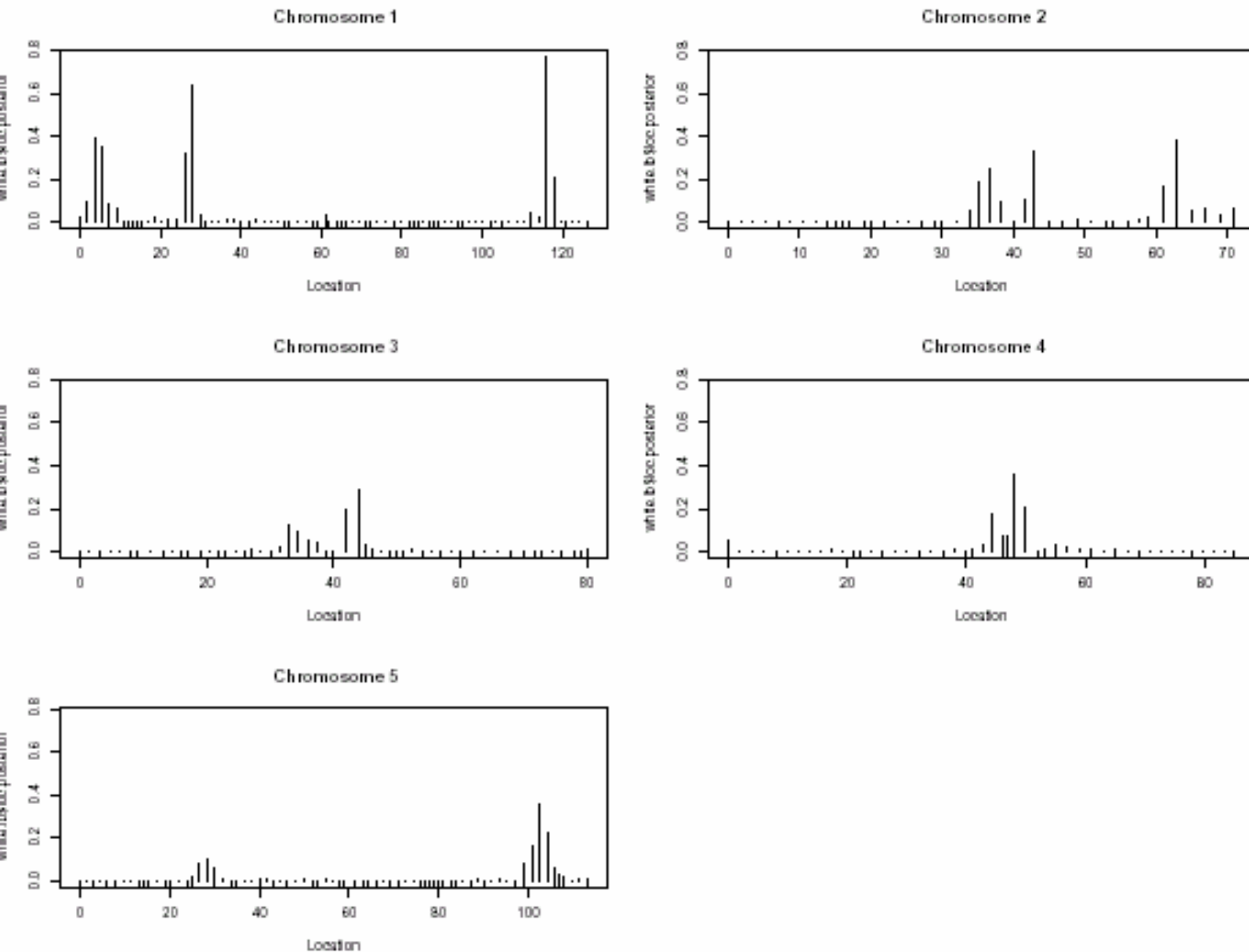


```
> text(ind.1, ind.2, round(scan.2.lod - min(scan.2.lod), 1), cex = 0.6)
> lb.spec <- list(gene.number = 1:10, n.cycles = c(0, 400, rep(100, 8)))
> white.lb <- linear.bayes(white ~ locus(all), cvl.ana, rp = 1, spec = lb.spec)
> par(mfrow = c(1, 1))
> plot(log10(white.lb$odds), type = "h")
```




```
> par(mfrow = c(3, 2))
```

```
> plot(cvl.ana, white.lb$loc.posterior, type = "h")
```



Bmapqtl: Bayesian interval mapping

R/bim is available directly from the Comprehensive R Archive Network (<http://cran.r-project.org>) under Contributed Software.

Bayesian interval mapping library R/bim provides Bayesian analysis of multiple quantitative trait loci (QTL) models. This includes posterior estimates of the number and location of QTL, and of their effects. This document assumes some familiarity with QTL and with Bayesian methods. In addition it provides graphical diagnostics that can help investigate several 'better' models. Library R/bim requires R/qtl and R/modreg.

```
> library(bim)
```

```
Loading required package: qtl
```

See separate paper

bim/Index

bim.effects	Bayesian QTL map of loci and effects
bim.fdr	Bayesian False Discovery Rate for QTL mapping
bim.model	Bayesian model selection for number and pattern of QTL across genome
bim.	Bayesian QTL estimation and mapping of loci
bmapqtl.options	Options Settings for BmapQTL
Bnapus	Cross structure for complete Brassica napus data
fisch	Eight QTL Stephens and Fisch simulated data
plot.bim.diag diagnostics	Marginal and model-conditional summaries of Bayesian interval mapping
plot.bim.loci	Jittered plot of Bayesian QTL loci samples by chromosome
plot.bim.mcmc	Bayesian MCMC sequence plots for burnin and iterations.
plot.bim.model	Graphical model assessment for Bayesian interval mapping
plot.bim	Diagnostics plots for Bayesian interval mapping
read.bim	Read samples from WinQTL output
read.bmapqtl	Read and write options for WinQTL
run.bmapqtl	Run Bmapqtl reversible jump MCMC
subset.bim	Subsetting Bayesian interval mapping data
summary.bim	Summary of Bayesian interval mapping samples
vern	Eight week vernalization data for Brassica napus